

Charlie Lada

Interstellar Dust

- 1) William Herschel 1738-1822
Caroline 1758-1848

many "holes" near star clusters
 catalogue of dark patches 1/2
 ex: (optimus) hole in the heavens
 "ein Loch im Himmel" = hole in the heavens
 30" telescope → sky survey; star counts
 map of structure of universe (stars = std. candl)

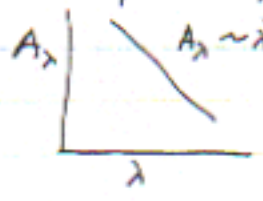
- 2) E.E. Barnard 1857-1923 ⇒ CLOUDS photographs of sky (a photographer)

- 3) V.M. Slipher 1912 ⇒ Reflection Nebula ⇒ small particles spectra of Pleiades → match stellar spectra

(Rayleigh scatt.)
 λ -dep of absorption

- 4) R. Trumpler (1896-1956) (see below)

$$L = \frac{L}{4\pi D^2}$$

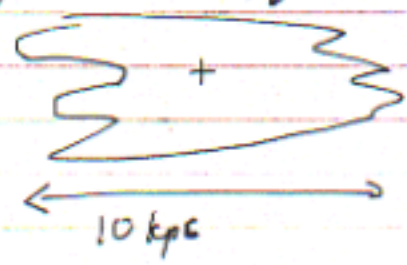


Absorption / Extinction due to dust

(not covered: polarization, spectra, emission/reradiation)
 recommended book: Whitew (?)

Kapteyn (1851-1922)

star counts:

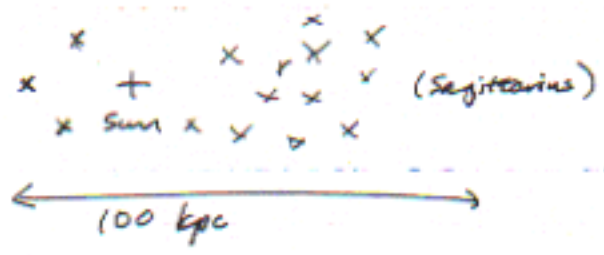


(map similar to Herschel - added scale)

2 kpc

sun @ center of universe

Harlow Shapley - globular clusters



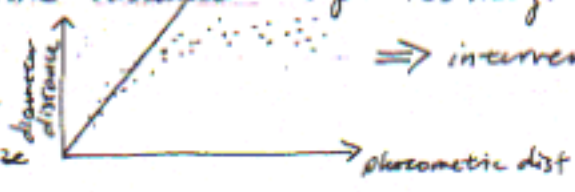
g.c.'s concentrated near Sag.

(Shapley - Curtis debates)

Trumpler - photometric distances (opt Abs mag. fr. spectral type)


$$L = \frac{L}{4\pi D^2}$$

assume all glob. clus. same size



⇒ increasing medium absorption
 0.7 mag/kpc

zone of avoidance - spiral nebulae appear uniformly except for plane of M.W.
 why study dust? it just gets in the way!

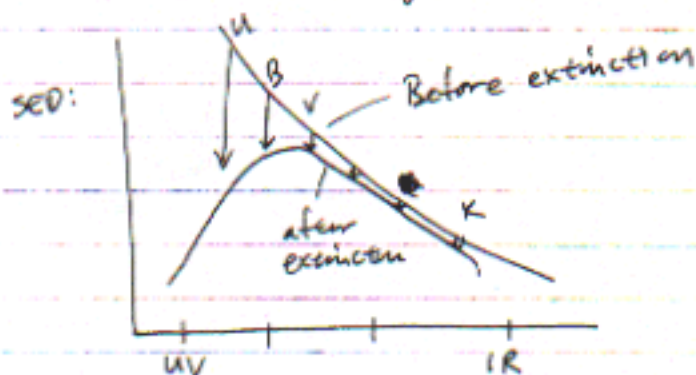
$$F_{\lambda} = \frac{L_{\star}}{4\pi D^2} \Rightarrow F_{\lambda} \Rightarrow m_{\lambda} = -2.5 \log \frac{F_{\lambda}}{F_{\text{ref}}}$$


$$F_{\lambda} e^{-\tau} \Rightarrow m'_{\lambda} = -2.5 \log \frac{F_{\lambda} e^{-\tau}}{F_{\text{ref}}}$$

$$= -2.5 \log F_{\lambda} + 1.086 \tau_{\text{dust}}$$

$$m_{\text{obs}} = m_{\lambda} + A_{\lambda}$$

$$m_v - M_v = 5 \log d - 5 + A_{\lambda}$$



$$B_{\lambda}(T) = \frac{2\pi hc^2}{\lambda^5} \left[e^{\frac{hc}{\lambda kT}} - 1 \right]^{-1}$$

Wien: $\lambda \ll \frac{hc}{kT}$
 $B(\lambda) \sim e^{-c/\lambda}$

$$A_{\lambda} \sim \frac{1}{\lambda} \Rightarrow \tau_{\lambda} \sim \frac{1}{\lambda}$$

$$F_{\text{obs}} = F_{\lambda} e^{-\tau_{\lambda}} \Rightarrow \text{mimics Wien law}$$

↳ reddening
 ↳ effectively shifts the BB

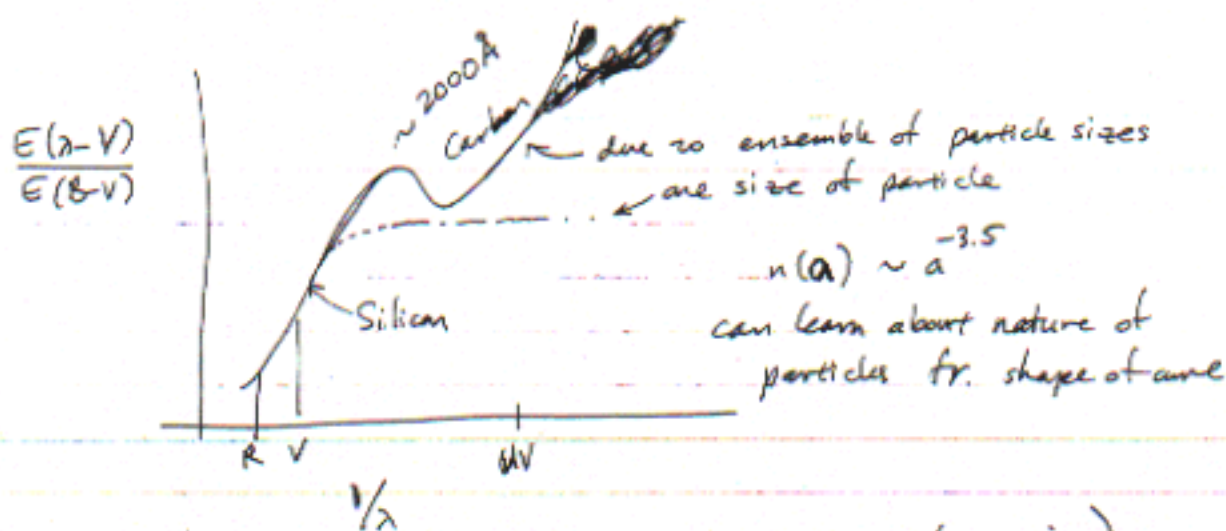
extinction more imp @ short wavelengths

Color Excess

$$E(m_{\lambda_1} - m_{\lambda_2}) = \underbrace{(m_{\lambda_1} - m_{\lambda_2})_{\text{obs}}}_{\text{essentially a flux ratio}} - (m_{\lambda_1} - m_{\lambda_2})_{\text{intrinsic}} \rightarrow \text{steepness of SED}$$

$$= -2.5 \log \left[\frac{(F_{\lambda_1}/F_{\lambda_2}) e^{-(\tau_{\lambda_1} - \tau_{\lambda_2})}}{F_{\lambda_1}/F_{\lambda_2}} \right] = 1.086 (\tau_{\lambda_1} - \tau_{\lambda_2})$$

$$= A_{\lambda_1} - A_{\lambda_2}$$



$$\tau_0 = N_D Q_{\text{ext}}(\lambda) \pi a^2$$

\uparrow
 $Q_{\text{abs}}(\lambda) + Q_{\text{scatt}}(\lambda)$

